Examining the cyclicality of capital controls



Introduction

- Capital controls are controls on inflows and outflows, often used as a stabilization tool to address capital volatility
- Theory: countercyclical capital controls are beneficial as they (i) reduce frequency, severity of financial crises (Bianchi 2011, Korinek 2018) and (ii) reduce adjustment costs during contractions arising from wage-price rigidities, suboptimal monetary & exchange-rate policies (Farhi & Werning 2016)
- But Fernandez (2015) finds that capital controls (for both inflows and outflows) are acylical, not correlated with boom/bust cycles in GDP, current account or exchange rates. Other studies (e.g. Eichengreen 2014) also find that historically, capital controls generally do not respond to fluctuations in macroeconomic indicators
- We examine whether this acyclical behavior holds when we classify countries by the cyclicality of their fiscal and monetary policy regime does capital control acyclicality hold, even for countries with otherwise countercyclical regimes?

Data

• **Data:** We use a dataset with yearly capital restrictiveness indices for 100 countries from 1995-2019 compiled by Fernandez (2015). The indices are coded from the IMF's AREAER annual reports for each country, with record the presence of inflow and outflow restrictions for 10 asset These aggregated categories. indices: are into inflows, outflows, restrictiveness overall on and restrictiveness (average)



Figure 1: time series of inflow, outflow and average restrictiveness by country income, 1995 - 2019

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Figure 2: cyclicality regime classification

- **Fiscal policy cyclicality**: for each country, we take the correlation between the cyclical component of log GDP and the cyclical component of log government spending (decomposed using a HP filter) across all time periods. We classify countries as fiscally countercyclical if this correlation < 0, procyclical if > 0
- Monetary policy cyclicality: we take the correlation between the cyclical component of log GDP and the first difference of actual and imputed central bank policy rates (year-on-year) across all time periods. We group countries as monetary countercyclical if this correlation > 0, procyclical if < 0



Figure 3: cyclicality regime classification



Empirical model

• For each group (procyclical / countercyclical) of countries within each regime classification (fiscal / monetary), we run the following pair of panel regressions:

 $y_{it,k} = \beta_0 + \beta_1 cyclical \ GDP_{it} + \beta_2 (expansion_{it} \times cyclical \ GDP_{it})$

$$+ \mathbf{X}_{it} + \alpha_i + \gamma_t + \varepsilon_{it}$$

 $\tilde{y}_{it,k} = \beta_0 + \beta_1 cyclical \ GDP_{it} + \beta_2 (expansion_{it} \times cyclical \ GDP_{it})$

 $+\mathbf{X}_{it}+\alpha_i+\gamma_t+\varepsilon_{it}$

where $y_{it,k}$ is the capital restrictiveness index of type k (inflows or outflows) for country i at time t, \mathbf{X}_{it} is a vector of control variables, α_i represents country fixed effects, γ_t controls for time fixed effects, and ϵ_{it} is the error term. As an alternative specification, we use $\tilde{y}_{it,k}$, the linearly detrended capital restrictiveness index as our outcome variable.

- The controls we include are: cyclical component of log government spending, inflation, foreign reserves, institutional quality, change in real effective exchange rate, log GDP per capita, net IIP, policy rate, exchange rate regime dummy and banking crisis dummy
- We cluster standard errors by country as residuals are heteroskedastic, and verify that time fixed effects are needed for most regressions with joint F tests

Preliminary results & extensions

| Table 3: By cyclicality of fiscal regime | | | | | Table 4: By cyclicality of monetar | | |
|--|-----------------|--------------|--------------|--------------|--------------------------------------|-----------------|--------------|
| Capital restrictiveness | Countercyclical | | Procyclical | | Capital restrictiveness | Countercyclical | |
| | Inflows | Outflows | Inflows | Outflows | Capital restrictiveness | Inflows | Outflows |
| cyclical GDP | 0.19* | 0.08 | 0.17 | 0.06 | cyclical GDP | 0.16 | 0.12 |
| expansion \times cyclical GDP | (0.08) | (0.17) | (0.13) | (0.16) | expansion \times cyclical GDP | (0.12) | (0.12) |
| | -0.18 | 0.07 | -0.22 | -0.14 | | -0.32 | -0.22 |
| | (0.17) | (0.29) | (0.16) | (0.20) | | (0.18) | (0.19) |
| Observations | 447 | 447 | 1000 | 1000 | Observations | 1105 | 1105 |
| Number of countries | 20 | 20 | 47 | 47 | Number of countries | 49 | 49 |
| Controls | \checkmark | \checkmark | \checkmark | \checkmark | Controls | \checkmark | \checkmark |
| Country FE | \checkmark | \checkmark | \checkmark | \checkmark | Country FE | \checkmark | \checkmark |
| Time FE | \checkmark | \checkmark | \checkmark | \checkmark | Time FE | \checkmark | \checkmark |
| Clustered standard errors | \checkmark | \checkmark | \checkmark | \checkmark | Clustered standard errors | \checkmark | \checkmark |
| * n < 0.05 ** n < 0.01 *** n < 0.001 | | | | | * ~ < 0.05 ** ~ < 0.01 *** ~ < 0.001 | | |

* p < 0.05, ** p < 0.01, *** p < 0.001

- For our primary level specification, we find a statistically significant positive effect of cyclical GDP on level inflows only for fiscally countercyclical regimes. This suggests that countries whose government are actively engaged in demand management policies use capital controls countercyclically
- However, in our alternative specification (not shown), we find no significant effect of cyclical GDP on detrended inflows (or any other detrended flow) across all fiscal regimes, possibly suggesting that cyclical GDP only has a long-term effect on capital restrictiveness. Potential issues with our model: hidden interaction effects, lagged dependent values, simultaneity, measurement error (imputed policy rates)
- Methodological extensions: use high-frequency (quarterly/monthly) data for all variables, dynamic panel data methods (e.g. Arellano – Bond, MLE)
- Topical extensions: electoral cycles (Gavoille 2023, Muller 2019), global financial cycle (Rey 2015)

